# Package 'stats4teaching' 

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Title Simulate Pedagogical Statistical Data
Version 0.1.0
Description Univariate and multivariate normal data simulation. They also supply a brief sum-mary of the analysis for each experiment/design:- Independent samples.

- One-way and two-way Anova.
- Paired samples (T-Test \& Regression).
- Repeated measures (Anova \& Multiple Regression).
- Clinical Assay.
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anova1way One-Way ANOVA


## Description

anova1way is used to generate multivariate data in order to compute analysis of variance with 1 factor. It provides balanced and unbalanced ANOVA (as long as homogeneity of variances is satisfied. In other case it is provided Welch test).

## Usage

anova1way(k = 3, n , mean = 0, sigma $=1$,

```
        coefvar = NULL, method = c("Tukey", "LSD", "Dunnett", "Bonferroni", "Scheffe"),
```

            conf.level \(=0.95\), dec \(=2\) )
    
## Arguments

k
$\mathrm{n} \quad$ size of samples.
mean vector of means.
sigma vector of standard deviations.
coefvar an optional vector of coefficients of variation.
method post-hoc method applied. There are five possible choices: "Tukey", "LSD", "Dunnett", "Bonferroni", "Scheffe". Can be specified just the initial letter.
conf.level confidence level of the interval.
dec number of decimals for observations.

## Details

If mean or sigma are not specified it is assumed the default values of 0 and 1.
If coefvar (= sigma/mean) is specified, function omits sigma.
Number of samples is choosen by $k$ (by default $k=3$ ). Therefore, if the others parameters ( $n$, mean, sigma, coefvar) have not same length, function rep will be used. Pay attention if vectors dont have same length.

Moreover, not only gives samples for each level, but also the ANOVA table and post-hoc test (in case of significance). By default conf. level $=0.95$ and Tukey method is used. If the homogeneity of variances is not verified (using Bartlett test), the Welch test is performed.

## Value

List containing the following components:

- Data: a data frame containing the samples created.
- Anova: anova fitted model.
- Significance: significance of the factor.
- Size.effect: size effect of the factor.
- Test Post-Hoc: test Post-Hoc.


## Examples

```
anova1way(k=4,n=c(40,31,50),mean=c (55,52,48,59),coefvar=c(0.12,0.15,0.13),conf.level = 0.99)
anova1way(k=3,n=15,mean=c(10,15,20), sigma =c(1,1.25,1.1),method ="B")
```

anova2way Two-Way ANOVA

## Description

anova2way returns multivariate data in order to compute analysis of variance with 2 factors.

## Usage

anova2way (k =2, $\mathrm{j}=2, \mathrm{n}$, mean $=0$, sigma $=1$, coefvar $=$ NULL, method $=c(" T u k e y ", " L S D ", " D u n n e t t ", " B o n f e r r o n i ", " S c h e f f e ")$,
$\quad$ conf. level $=0.95, \mathrm{dec}=2)$

## Arguments

| k | number of levels Factor I. By default $\mathrm{k}=2$. |
| :--- | :--- |
| j | number of levels Factor II. By default $\mathrm{j}=2$. |
| n | number of elements in each group (k,j). |
| mean | vector of means. |
| sigma | vector of standard deviations. |
| coefvar | an optional vector of coefficients of variation. |
| method | post-hoc method applied. There are five possible choices: "Tukey", "LSD", <br> "Dunnett", "Bonferroni", "Scheffe". Can be specified just the initial letter. |
| conf.level | confidence level of the interval. <br> dec |
|  | number of decimals for observations. |

## Value

A list containing the following components:

- Data: a data frame containing the samples created.
- Size.effect: size effect for each factor and interaction.
- Significance/Test Post-Hoc: significance for each factor and interaction and test Post-Hoc for each factor.


## Examples

```
    anova2way(k=3, j=2, n=c(3,4,4,5,5,3), mean = c(1,4,2.5,5,6,3.75), sigma = c(1, 1.5))
```

cassay Clinical Assay

## Description

Simulates a clinical Assay with 2 groups (control and treatment) before and after intervention.

## Usage

cassay ( n , mean $=0$, sigma $=1$, coefvar $=$ NULL,
d.cohen $=$ NULL, dec = 2)

## Arguments

$n \quad$ size of samples.
mean sample mean. Same for both groups before intervention (Pre-test).
sigma sample standard error.
coefvar sample coefficient of variation.
d. cohen size effect (d-Cohen). If not given, randomly generated.
dec number of decimals for observations.

## Value

List containing the following components:

- Data: a data frame containing the samples created (Columns: Group, PreTest \& PostTest).
- Model: linear regression model.


## Examples

```
cassay(c(10,12), mean = 115, sigma = 7.5, d.cohen= 1.5)
cassay(24, mean = 100, sigma = 5.1)
```


## Description

This function generates univariate and multivariate normal data. It allows simulating correlated and independent samples. Moreover, normality tests and numeric informations are provided.

## Usage

generator(n , mean $=0$, sigma $=1$, coefvar $=$ NULL,

$$
\text { sigmaSup }=\text { NULL, dec = 2) }
$$

## Arguments

n
mean vector of means.
sigma vector of standard deviations or covariance/correlation matrix.
coefvar an optional vector of coefficients of variation.
sigmaSup an optional vector of standard deviations if sigma is a correlation matrix.
dec number of decimals for observations.

## Details

If mean or sigma are not specified it's assumed the default values of 0 and 1.
If coefvar (= sigma/mean) is specified, function omits sigma and sigmaSup. It's assumed that independent samples are desired.
Number of samples are choosen by taken the longest parameter ( n , mean, sigma, coefvar). Therefore, function rep is used. Pay attention if vectors don't have same length!
If sigma is a vector, samples are independent. In other case (sigma is a matrix), samples are dependent (following information meanst be taken into account: if sigma is a correlation matrix, sigmaSup is required).

## Value

List containing the following components for independent (with the same length) and dependent samples:

- Samples: a data frame containing the samples created.
- Test normality test for the data (shapiro.test() for $\mathrm{n}<=50$ and lillie.test() in other case).

List containing the following components for independent samples with different lengths:

- X_i sample number i.


## Examples

```
generator(4,0,2)
    sigma <- matrix(c(1,0.8,0.8,1),nrow = 2, byrow = 2)
    d <- generator(4,mean = c(1,2),sigma, sigmaSup = 1)
    generator(10,1,coefvar = c(0.3,0.5))
    generator(c(10,11,10),c(1,2),coefvar = c(0.3,0.5))
```

    is.corrmatrix
        Correlation matrix
    
## Description

Checks if a given matrix is a correlation matrix for non-degenerate distributions.

## Usage

is.corrmatrix(matrix)

## Arguments

$$
\text { matrix } \quad a(\text { non-empty }) \text { numeric matrix of data values. }
$$

## Value

A logical value: True/False.

## Examples

```
m1<-matrix(c(1,2,2,1),nrow = 2,byrow = TRUE)
is.corrmatrix(m1)
m2<-matrix(c(1,0.8,0.8,1),nrow = 2,byrow = TRUE)
is.corrmatrix(m2)
m3<-matrix(c(1,0.7,0.8,1),nrow = 2,byrow = TRUE)
is.corrmatrix(m3)
```


## is.covmatrix Covariance matrix

## Description

Checks if a given matrix is a covariance matrix for non-degenerate distributions.

## Usage

is.covmatrix(matrix)

## Arguments

$$
\text { matrix } \quad \text { a (non-empty) numeric matrix of data values. }
$$

## Value

A logical value: True/False.

## Examples

```
m1 <- matrix(c(2,1.5,1.5,1), nrow = 2, byrow = TRUE)
is.covmatrix(m1)
m2 <- matrix(c(1,0.8,0.8,1), nrow = 2, byrow = TRUE)
is.covmatrix(m2)
m3 <- matrix(c(1,0.7,0.8,1), nrow = 2, byrow = TRUE)
is.covmatrix(m3)
```

is.posDef Positive definited matrices

## Description

Checks if a given matrix is positive definited

## Usage

is. posDef(matrix)

## Arguments

matrix
a (non-empty) numeric matrix of data values.

## Value

A logical value: True/False.

## Examples

```
A <- matrix(c(1,2,2,1), nrow = 2, byrow = TRUE)
is.posDef(A)
B <- matrix(c(1,2,3,3,1,2,1,2,1), nrow = 3, byrow = TRUE)
is.posDef(B)
```

    is.semiposDef Semi-Positive definited matrices
    
## Description

Checks if a given matrix is semi-positive definited.

## Usage

```
is.semiposDef(matrix)
```


## Arguments

$$
\text { matrix } \quad \text { a (non-empty) numeric matrix of data values. }
$$

## Value

A logical value: True/False.

## Examples

```
A<-matrix(c(2.2,1,1,3), nrow = 2, byrow = TRUE)
is.semiposDef(A)
B<-matrix(c(1, 2, 3, 3, 1, 2, 1,2,1), nrow = 3, byrow = TRUE)
is.semiposDef(B)
```

mCorrCov Correlation \& Covariance matrices.

## Description

Given a correlation matrix and vector of standard deviations (or vector of means and vector of variation coefficients) returns a covariance matrix.

## Usage

mCorrCov(mcorr, sigma $=1$, mu = NULL, coefvar = NULL)

## Arguments

| mcorr | a (non-empty) numeric correlation matrix. |
| :--- | :--- |
| sigma | an optional vector of standard deviations. |
| mu | an optional vector of means. |
| coefvar | an optional vector of coefficients of variation. |

## Details

coefvar = sigma/mu.
If sigma, mu or coefvar are not specified, it's assumed that default values for standard error's are

1. Length of standard error's is created using number of rows of correlation matrix. It's necessary to provide sigma or mu and coefvar (both) in order to obtain a desired covariance matrix.
Length of vectors is taken using rep. Pay attention if vectors don't have same length!

## Value

mCorrCov gives the covariance matrix for a specified correlation matrix.

## Examples

```
A <- matrix(c(1,2,2,1), nrow = 2, byrow = TRUE)
mCorrCov(A)
B <- matrix(c(1,0.8,0.7,0.8,1,0.55,0.7,0.55,1), nrow = 3, byrow = TRUE)
mCorrCov(B,mu = c(2,3.5,1), coefvar = c(0.3,0.5,0.7))
```


## Description

Generates two paired measures. It provides T-test and a simple linear regression model for generated data.

## Usage

```
pairedm(n, mean = 0, sigma = 1, coefvar = NULL,
rho = NULL, alternative = c("two.sided", "less", "greater"),
delta = 0, conf.level = 0.95, dec = 2,
random = FALSE)
```


## Arguments

n
mean vector of means.
sigma vector of standard deviations.
coefvar an optional vector of coefficients of variation.
rho Pearson correlation coefficient (optional). If rho $=$ NULL a random covariance matrix is generated by genPositiveDefMat().
alternative a character string specifying the alternative hypothesis for T-Test. Must be one of "two.sided" (default), "greater" or "less". Can be specified just the initial letter.
delta true value of the difference in means.
conf. level confidence level for interval in T-Test.
dec number of decimals for observations.
random a logical a logical indicating whether you want a random covariance/variance matrix.

## Details

If random $=$ TRUE, rho is omitted and sigma is taken as range for variances of the covariance matrix.

## Value

List containing the following components :

- Data: a data frame containing the samples created.
- Model: linear regression model.
- T. Test: a t-test for the samples.


## See Also

[clusterGeneration::genpositiveDefMat()]

## Examples

```
pairedm(10, mean = c(10,2), sigma = c(1.2,0.7), rho = 0.5, alternative = "g")
pairedm(15, mean =c(1,2), coefvar = 0.1, random = TRUE)
```

```
repeatedm Repeated Measures (ANOVA & Multiple Regression)
```


## Description

Repeated Measures (ANOVA \& Multiple Regression)

## Usage

repeatedm(k, n, mean $=0$, sigma $=1$, coefvar $=$ NULL, sigmaSup $=$ NULL, conf.level = 0.95, random $=$ FALSE, dec = 2)

## Arguments

k number of variables.
n number of observations.
mean vector of means.
sigma vector of standard deviations/covariance-correlation matrix.
coefvar vector (optional) of coefficients of variation.
sigmaSup vector (optional) of standard deviations if sigma is a correlation matrix.
conf.level confidence level for interval in T-Test.
random a logical indicating whether you want a random covariance/variance matrix.
dec number of decimals for observations.

## Details

Number of variables must be greater than 3, in order to ensure an ANOVA of repeated measures or a multiple Linear Regression.
sigma can represent a vector or a covariance/correlation matrix. In case sigma is a vector, independent samples are created. By other hand, if it's a correlation matrix parameter sigmaSup is required. For covariance matrices, the function does not require any other parameter or special treatment.
If random = TRUE, a random covariance matrix is generated by using genpositiveDefMat().

## Value

A data frame.

## See Also

[clusterGeneration::genpositiveDefMat()]

## Examples

```
randm <- clusterGeneration::genPositiveDefMat(8, covMethod = "unifcorrmat")
mcov <- randm$Sigma
Sigma <- cov2cor(mcov)
is.corrmatrix(Sigma)
repeatedm(k = 8, n = 8, mean = c(20,5, 30, 15),sigma = Sigma, sigmaSup = 2, dec = 2)
repeatedm(k = 5, n = 5, mean = c(8,10,5,14,22.5), random = TRUE)
repeatedm(k = 3, n = 8, mean = c(10,5,22.5), sigma = c(3.3,1.5,5), dec = 2)
```

sample2indp Independent normal data

## Description

Generates two normal independent samples. It also provides Cohen's effect and T-Test.

## Usage

```
sample2indp(n , mean = 0, sigma = 1, coefvar = NULL,
    alternative = c("two.sided", "less", "greater"), delta = 0,
    conf.level = 0.95, dec = 2)
```


## Arguments

n
mean vector of means.
sigma vector of standard deviations.
coefvar an optional vector of coefficients of variation.
alternative a character string specifying the alternative hypothesis for T-Test. meanst be one of "two.sided" (default), "greater" or "less". Can be specified just the initial letter.
delta true value of the difference in means.
conf.level confidence level of the interval. It determines level of significance for comparing variances.
dec number of decimals for observations.

## Details

If mean or sigma are not specified it's assumed the default values of 0 and 1.
n is a vector, so it's possible to generate samples with same or different sizes.
If coefvar is given, sigma is omitted. Vector of means cannot have any 0.

## Value

A list containing the following components:

- Data: a data frame containing the samples created.
- T.Test: a t-test of the samples.
- Power: power of the test.


## Examples

```
sample2indp (c(10,12),mean = c(2,3), coefvar = c(0.3,0.5), alternative = "less", delta = - 1)
sample2indp(8,sigma = c(1,1.5), dec = 3)
```

sample2indp.pow Independent normal data

## Description

Generates two normal independent samples with desired power and cohen's effect.

## Usage

sample2indp.pow(n1, mean $=0, \mathrm{~s} 1=1, \mathrm{~d}$. cohen, power, alternative = c("two.sided", "less", "greater"), delta = 1, conf.level $=0.95$, dec $=2$ )

## Arguments

n
mean vector of sample means.
d.cohen Cohen's effect.
power power of the test.
s1 standard deviation for first sample.
alternative a character string specifying the alternative hypothesis for T-Test. Must be one of "two.sided" (default), "greater" or "less". Can be specified just the initial letter.
delta true value of the difference in means.
conf.level confidence level of the interval.
dec number of decimals for observations.
first sample size.

## Details

Pooled standard deviation $=s p=\operatorname{sqrt}\left((n 1-1) \operatorname{sigma} 1^{\wedge} 2+(n 2-1) \operatorname{sigma} 2 \wedge 2\right) /(n 1+n 2-2)$
d. cohen $=\operatorname{lmean} 1-$ mean $21 / \operatorname{sqrt}(s p)$

## Value

A list containing the following components:

- Data: a data frame containing the samples created.
- Size: size of each sample.
- T. test: a t-test of the samples.


## Examples

```
sample2indp.pow(n1 = 30, mean = c(2,3), s1= 0.5, d.cohen = 0.8, power = 0.85, delta = 1)
sample2indp.pow (n1 = 50, mean =c(15.5,16), s1=2, d.cohen = 0.3, power = 0.33, delta = 0.5)
```

stats4teaching Teaching Statistics Data Simulation

## Description

Univariate and multivariate normal data simulation. They also supply a brief summary of the analysis for each experiment/design.

- Independent samples.
- One-way and two-way ANOVA.
- Paired samples (T-Test \& Regression).
- Repeated measures (ANOVA \& Multiple Regression).
- Clinical Assay.


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